Viewport Adaptation-Based Immersive Video Streaming: Perceptual Modeling and Applications

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Introduction

- Netflix suggests a 5 Mbps connection speed for the broadcasting quality of a typical FHD (1080p) video at 30 fps
- How about an immersive video at 32K×16K, 120 fps, and 25 depth levels? 10Gbps <- unreliable
- Sol: apply the adaptive viewport streaming instead of delivering the bulky immersive video entirely

Adaptive Viewport Streaming

- Strategy:
 - Content within current FoV at the highest quality
 - Content outside the current FoV at the reduced quality
 - ⇒ avoid the blackout caused by switching the FoV suddenly





- Model the perceptual quality using the Mean Opinion Score (MOS)
- ⇒quantify the perceptual impact of the quality variations between consecutive FoVs
 - quantization stepsize q ($q = 2^{\frac{QP-4}{6}}$)
 - spatial resolution s
 - refinement duration au
- Devise the model to guide the bandwidth constrained immersive video streaming
 - maximizing the subjective quality under the rate constraint

Considered Videos

- 5 from JVET test sequences
- 4 from Youtube



(a) KiteFlite*†

- (b) AerialCity*
- - (c) Gaslamp*

(d) Harbor*



(e) Trolley*



(f) Elephants



(g) Rhinos



(h) Diving



(i) Venice

Test Procedure





- Mainly crop and edit FoV sequences from the original immersive video to emulate the FoV adaptation
 - 5 QPs: 22, 27, 32, 37, 42
 - 3 resolutions: naive, 1/4, 1/6
 - 6 refinement durations τ:
 0.1, 0.3, 0.7, 1.5, 2, 5 secs

Versus Refinement time

$$z_{mij} = \frac{x_{mij} - \mu(X_i)}{\sigma(X_i)}$$



Analytical Models

Least squared error



$$\hat{Q} = \frac{Q}{Q_{\text{max}}} = a \cdot e^{-b \cdot \tau} + c_{\text{max}}$$

$$Q(\tau, \hat{q}, \hat{s}) = Q_{\max} \cdot \hat{Q}_{NQQ}(\tau, \hat{q}) \cdot \hat{Q}_{NQS}(\tau, \hat{s}),$$

where

$$\hat{Q}_{NQQ}(\tau, \hat{q}) = a(\hat{q}) \cdot e^{-b(\hat{q}) \cdot \tau} + (1 - a(\hat{q})),$$
$$\hat{Q}_{NQS}(\tau, \hat{s}) = a(\hat{s}) \cdot e^{-b(\hat{s}) \cdot \tau} + (1 - a(\hat{s})).$$

Model Cross-Validation

- 79 subjects, each watch one or two test videos
 - Pearson correlation coefficient (PCC) and Spearman's rank correlation coefficient (SRCC) close to 0.98



Quality-Bandwidth Optimized Streaming



(a)



Problem Formulation

$$\begin{array}{ll}
\max_{\tau,\hat{q},\hat{s}} & Q, & (8) \\
s.t. & R_i^{\text{FoV}} + R_{mi}^{\text{RL}} \le B, & (9) \\
& 0 < \hat{q}, \hat{s} \le 1. & (10)
\end{array}$$

Thereinto,

$$\tau = \frac{R_i^{\rm FoV} + R_{mi}^{\rm RL}}{B} \cdot T, \tag{11}$$

$$R_i^{\text{FoV}} = \sum_{j=1}^n R_{ij}^{\text{HL}},\tag{12}$$

$$R_{mi}^{\rm RL} = R(\hat{q}, \hat{s}). \tag{13}$$

Optimal Solution Under Continuous q

 numerically determine the optimal quantization stepsize q_{opt} and the corresponding normalized maximum perceptual quality Q_{opt} using (15).



Optimal Solution Under Discrete s and Continuous q



Performance Evaluation for Practical Adaptation

- Discrete quantization stepsize q and discrete spatial resolution s: 3×51 = 153 possibilities
- Compared to heuristic: s = 1/16 when B < 1 Mbps, s = 1/4 when $1 \le B < 4$ Mbps, s = 1 when $B \ge 4$ Mbps



Conclusion

- investigated the perceptual impact of the quality variations when performing the refinement within a period of time τ
- Future work: FoV adaptation prediction and apply the proposed model in practical immersive streaming system